

Precision

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Variability in phonetic parameters (whether neuro-muscular, spatial or acoustic) is of two types. The first concerns how a same phonological segment (e.g. /p/) may be realised differently in different phonological contexts (e.g. /pæt/ vs. /tæp/); the second concerns how a same phonological segment may be realised differently on different occasions in the same phonological context (e.g. /pæt₁/ vs. /pæt₂/). It is this latter type to which we address ourselves in this paper.

Our overall model is simple and not original: a phonology (not of the competence-only type) produces an output object, X, according to two broad considerations:

the intention to encode as speech a sentence (itself the result of an enactment of the intention to encode a thought as language);

a set of static rules governing all such encodings (phonological competence).

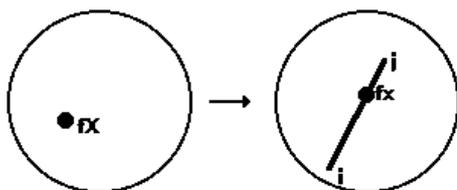
A second set of static rules governs how to employ b. to accomplish a. (And, we might add, other sets of static rules govern a-grammatical aspects of the encoding, such as phonological variants selected in accordance with social or stylistic, etc., constraints.)

X is an object which is psychologically real: that is, both a speaker and listener are aware of it as a linguistic entity having certain linguistically motivated attributes or features. Furthermore for the speaker and listener X is an invariant object. So, for example, /p/ in /pæt₁/ and /p/ in /pæt₂/ are the same object. A close examination of the phonetic output, x, deriving from X will reveal, however, that at the neuro-muscular, spatial and acoustic levels x varies in each of its constituent parameters. If each parameter is regarded as a unidimensional scale, then we have

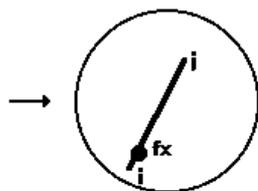
$$fX \longrightarrow fx [i - j]$$

in which fX stands for a phonological feature of X which derives a phonetic feature fx of x, and in which *i/j* stands for the entire range of variability along the observed unidimensional scale of fx. We are interested in the characteristics (formal, not the mechanism *per se*) of \longrightarrow and *i/j*. How (and why) is the realisation fx of fX constrained to fall within the range and not within some other (wider or narrower) range?

It is clear that fX is invariant. That is, fX is a *point* in some abstract psychological space. It is equally clear that any one fx is a point in some 'real' space, but that point falls on a defined line in that space — a line labelled $fx[i - j]$. Thus:



Whereas, for some other fx (i.e. fX realised on some other occasion), we have



Notice that $\bullet fx$ varies, but that $[i - j]$ *does not*. And notice that $\bullet fx$ is constrained to vary only along $[i - j]$ not to some other locus within the space.

$fX \rightarrow fx [i - j]$

defines $[i - j]$.

$fX \rightarrow fx$

defines $\bullet fx$.

Consider the following data which was obtained during a somewhat elaborate electromyography experiment (Daniloff, Morton and Tatham *forthcoming*). The phonetic parameter (fx) under consideration is contraction of *m. orbicularis oris* associated at the vocal-tract configuration level with (or deriving) bi-labial closure for /p/ in /pV.../ the vowel did not involve this parameter). Specifically the data scores refer to peak amplitude of emg signal obtained during the closure gesture and the units are arbitrary linear units of amplitude:

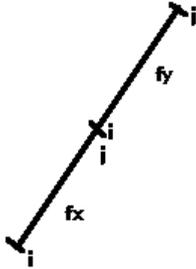
24	28	24
25	33.5	30
31	22.5	34
32	25.5	31
29	41	36
25.5	19.5	23.5
35	27	28
21.5	47	36
		29.5

We can see that the range of scores was 19.5–47, the arithmetic mean 30, the standard deviation 6.5, and the coefficient of variation 22.

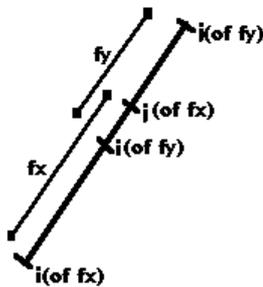
Rarely stated, though implicit in almost all modern experimental literature, is the notion that somehow or other the arithmetic mean of such a set of data constitutes the aimed for target, equivalent to an unconstrained realisation, fx , of fX . This notion is, of course, a hypothesis which awaits empirical support or refutation. Whether such a claim is actually being made or whether, in fact, reduction of the data in this way is conducted simply to provide a single number to match up with a single symbol (like [p]) for the sake of convenience and thus duck the variance issue is not, however, usually clear: we prefer to believe that the latter is untrue and that many, many researchers are formulating some target hypothesis based on the arithmetic mean of a set of numerical observations.

Such a hypothesis is, of course, perfectly reasonable. It is rare to have very large data sets in phonetics (their collection may, for all sorts of reasons, be impossible), but it does seem that usually observed scores distribute fairly normally. And that fact supports the idea that the arithmetic mean describes a centre of gravity in the range of observations which might well constitute an ideal realisation of fX . We do not believe that this is a wholly satisfactory way of defining what have come to be known as targets: a better way, though quite out of the question experimentally at the moment, would be to examine the musculature's innervating

Functional loading at the phonological level is not however the only factor influencing precision of articulation. Phonetic features do not exhibit equal independence of controllability. It is generally taken that if a phonetic feature is independently controllable it can be used for realisation of some phonological feature. But in our earlier phonetic feature space it is not necessarily the case that $fx[i - j]$ is completely distinct from, say, $fy[i - j]$. I.e. we may have:



It can easily be seen, then, that if $-l\gg$ does not operate we might have



(since $-l\gg$ has a restrictive effect on the outcome $fx[i - j]$. We hypothesise, then, that the restricting effect of $-l\gg$ is there to prevent the potential overlap of the scales $**$ and $**$, since such overlap would unduly jeopardise accurate decoding of $fx[i - j]$ and $fy[i - j]$ (the overlap region being ambiguous).

But the ambiguity itself is a *linguistic* phenomenon, and $-l\gg$ (effectively a disambiguator) is therefore a linguistic process based on knowing

how near to each other in the psychological space are fX and fY ;

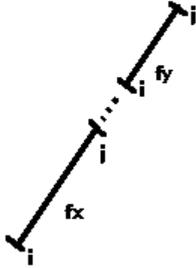
that fx and fy with their ranges of variation conjoin in a potentially ambiguity-producing fashion.

The linguistics would not, of course, have chosen to have fX and fY in the phonology's phonetic inventory unless it, in its turn, had known that $-l\gg$ could disambiguate.

There are thus two aspects of independent controllability of phonetic features which make the candidates for phonological deployment (as derived psychological objects): direct controllability and governability of that control. If the governability of the control of $fx[i - j]$ and $fy[i - j]$ is insufficient to keep the unambiguous phonetically, then either fX may be selected or fY but *not both* (in any one language). Thus, we find $[i]_{Eng}$ and the (traditionally regarded as) slightly fronter, higher, tenser (phonetically) $[i]_{Fr}$, in English and French respectively. The model predicts that these could not co-occur in the same language as two distinct psychologically real objects.

When two such objects exist in different languages the psychological reality of the objects, we hypothesise, is often the same. Thus a French listener hearing $[i]_{Eng}$ in a French utterance will decode phonologically $/i/_{Fr}$. He may be aware that what he has decoded has had an 'English accent' (perhaps because the decoding process has been stretched, and he is aware of this), but phonological and other decoding will proceed, obviously, on the French $/i/$ and not the English $/i/$, although what triggered the $/i/_{Fr}$ may have been $[i]_{Eng}$. Since a speaker / listener of French cannot have two $/i/$ s and neither can a speaker / listener of English, we say that there is only one $/i/$ (although there are two $[i]$ s).

How narrow $fx[i - j]$ and $fy[i - j]$ can be made is critical. Suppose they can be made this narrow:



then there is room for a $fz[i - j]$ in between. And if $f[i - j]$ can be made infinitely narrow then (psychological limitations permitting) there is space for an infinite number of phonetic targets. In fact, of course, we don't have to (formally) consider the psychological limitations here because the phonetic control limitations are grosser and define the number of f 's possible. So, there is a range of possible $-l$ between

$$fX -u \gg fx[p - q] -l \gg fx[i - j],$$

where $fx[p - q] = fx[i - j]$ (i.e. $-l$ does not govern), and

$$fX -u \gg fx[p - q] -l \gg fx[i - j],$$

where i and j are as close together as the control mechanism will allow (given that i cannot = j).

To summarise

The phonetic realisation of a psychologically real and invariant systematic phonetic segment is a two-stage process. Limitations inherent in the phonetic mechanism produce a variability in the final output which characterises the intrinsic precision of the system. Potentially a governing or stabilising mechanism may be employed to narrow that intrinsic precision. An occasion on which this occurs is when the phonetic output would promote ambiguity in decoding. The phonology's phonetic inventory consists of independently controllable phonetic features (raised to a psychological level) where this controllability subsumes intrinsic precision and governed precision. When the phonetic inventory has items requiring precision narrower than intrinsic, linguistically motivated governing is applied within the phonetics. Just as, to select normal independently controllable phonetic features, a phonology employs a model of intrinsic phonetic processes, so it must be aware of the governability of these processes.

Reference

Daniloff, R. G., Katherine Morton and M. Tatham (forthcoming). Monologue documenting some recent electromyography experiments.